

REMARKS

Claims 1-8 are pending in this application.

Rejection Under 35 U.S.C. § 102

Claims 1, 2 and 5-8 stand rejected under 35 U.S.C. § 102(e) as anticipated by Drexler U.S. Patent Pub. No. 2003/0079139. Applicant respectfully traverses this rejection.

As set forth in MPEP § 2131, to anticipate a claim, the reference must teach every element of the claim. *Verdegaal Bros. v. Union Oil Co. of California*, 814 F.2d 628, 631, 2 USPQ2d 1051, 1053 (Fed. Cir. 1987). The United States Court of Appeals for the Federal Circuit recently emphasized that "unless a reference discloses within the four corners of the document not only all of the limitations claimed but also all of the limitations arranged or combined in the same way as recited in the claim, it cannot be said to prove prior invention of the thing claimed and, thus, cannot anticipate under 35 U.S.C. § 102." *Net Money/IN v. Verisign*, No. 2007-1565, slip op. at 17-18 (Fed. Cir. Oct. 20, 2008) (emphasis added).

Applicant respectfully submits that the rejection does not meet this requirement because the Office Action does not establish that Drexler teaches every element of the claims arranged or combined in the same way as recited in the claims.

Applicant's claim 1 recites a cryptographic method during which an integer division of a type $q = a \div b$ and/or a modular reduction of a type $r = a \bmod b$ is performed, where q is a quotient, a is a number containing m bits, b is a number containing n bits, with n less than or equal to m and b_{n-1} is non-zero, b_{n-1} being the most significant bit of the number b , comprising the steps of masking the number a

by a random number p before performing the integer division and/or the modular reduction, and generating encrypted or decrypted data in accordance with a result of the division and/or modular reduction.

Exemplary embodiments encompassed by Applicant's claims are directed to a method of integer division or modular reduction secure against covert channel attacks, and in particular differential attacks. The exemplary embodiments can be used for performing division operations in a more general cryptographic method, for example, a secret or public key cryptographic method. Such a cryptographic method can be implemented in electronic devices such as chip cards, for example.

According to an exemplary embodiment, the number a can be masked by a random number p before performing the integer division and/or the modular reduction. With the number a being masked by a random number, the trace (for example, the energy consumption) left during the execution of the method is different at each execution, so that it is no longer possible to implement a differential covert channel attack. The random number p can be modified at each execution of the method, or simply after a predefined number of executions of the method.

Applicant respectfully submits that this same combination of features is neither disclosed nor suggested by Drexler. For example, paragraphs [0004] and [0007] in Drexler are cited for allegedly disclosing the claimed "cryptographic method during which an integer division of a type $q = a \text{ div } b$ and/or a modular reduction of a type $r = a \text{ mod } b$ is performed, where q is a quotient, a is a number containing m bits, b is a number containing n bits, with n less than or equal to m and b_{n-1} is non-zero, b_{n-1} being the most significant bit of the number b ." Applicant respectfully disagrees.

First, paragraph [0004] in Drexler merely states that methods are known that allow a person monitoring the current consumption or timing of the encryption process to deduce secret data, in particular, a secret key. Nothing in paragraph [0004] in Drexler reads on Applicant's claims; rather, Applicant's claims solve this problem. Second, paragraph [0007] in Drexler discloses that it is known for a factor $r \cdot n$ (random number * modulus) to be added for the encryption of the message. The encrypted text $Y = M^d \bmod n$ is thus changed to $(M + r \cdot n)^d \bmod n$, where M is a known message.

However, even when paragraphs [0004] and [0007] in Drexler are combined, the rejection lacks the specificity required under 35 U.S.C. § 102 to establish that these sections of Drexler teach every element of the claimed "cryptographic method during which an integer division of a type $q = a \div b$ and/or a modular reduction of a type $r = a \bmod b$ is performed, where q is a quotient, a is a number containing m bits, b is a number containing n bits, with n less than or equal to m and b_{n-1} is non-zero, b_{n-1} being the most significant bit of the number b " arranged or combined in the same way as recited in the claim.

Next, paragraph [0020] in Drexler is cited for allegedly disclosing the claimed "masking the number a by a random number p before performing the integer division and/or the modular reduction." Applicant respectfully disagrees.

Paragraph [0020] in Drexler recites:

According to the invention, a random number r is first of all chosen, and the product $r \cdot n$ is formed, for the encryption process. The exponentiation process then starts with a squaring operation, in which the product $r \cdot n$ is added to the intermediate result Z in order to calculate the expression $(Z \cdot (Z + r \cdot n) \bmod k \cdot n)$, where k is an integer, instead of $Z \cdot Z \bmod n$. In the situation where the exponent, that is to say the secret key d , contains a "1" at that point, this is followed by a multiplication operation for which, first of all, $(r_i \cdot n)$ is added to the

message M , that is to say $M+r_i * n$ is formed and $(Z^*(M+r_i * n) \bmod k*n)$ is calculated instead of $Z^*M \bmod n$. The process passes through this loop until all the digits in the secret key have been processed, with i being incremented by 1 for the next multiplication process in each case. The result is also $\bmod n$ reduced after completion of an exponentiation process.

In Applicant's claim where $r = a \bmod b$, where b is the modulus, number a is masked by a random number p before performing the integer division and/or the modular reduction. In contrast, as noted above in paragraph [0020] in Drexler, random number r is multiplied by the modulus n . Thus, Drexler similarly fails to teach or suggest this element of claim 1 arranged or combined in the same way as recited in the claim.

Paragraph [0005] in Drexler is cited as allegedly disclosing the claimed "generating encrypted or decrypted data in accordance with a result of the division and/or modular reduction" (emphasis added). Applicant again respectfully disagrees.

Paragraph [0005] in Drexler discloses a type of attack ("Simple Power Analysis" (SPA) method), where the encrypted text $Y=M^d \bmod n$ is formed. During the modular exponentiation process, a squaring operation is carried out with the intermediate result and a multiplication operation is carried out with M if there is a "1" in the exponent d , while only a squaring operation with the intermediate result is carried out if there is a "0" in d . If M is known, the times at which the message M is used can be identified by observing the current response and/or the timing during the operations. Since this message is always used if a "1" is present in d , the key can be deduced without any problems.

However, since the claimed division and/or modular reduction is arrived at by masking the number a by a random number p before performing the integer division

and/or the modular reduction, and since paragraph [0005] is Drexler does not teach or suggest this feature, the rejection of claim 1 should be withdrawn for this reason as well.

Accordingly, Drexler fails to disclose every element of claim 1 arranged or combined in the same way as recited in the claim. Thus, claim 1 is allowable. This logic also disposes of the rejection of claims 2 and 5-8, which depend from claim 1.

Rejection Under 35 U.S.C. § 103

Claims 3 and 4 stand rejected under 35 U.S.C. § 103(a) as unpatentable over Drexler and Falk U.S. Patent No. 5,077,793. Applicant also respectfully traverses this rejection.

Claims 3 and 4 depend directly or indirectly from claim 1 and have further distinguishing features and are thus also allowable because Drexler is cited for teachings it does not provide. Additionally, Falk, which is cited only for the use of modular subtractors to subtract pseudo-random number sequences from a converted encrypted signal, does not cure the deficiencies of Drexler.

Conclusion

For the foregoing reasons, Applicant respectfully submits that this application is in immediate condition for allowance and all pending claims are patentably distinct from the cited references. Reconsideration and allowance of all pending claims are respectfully requested.

In the event that there are any questions about this application, the Examiner is requested to telephone Applicant's undersigned representative so that prosecution of the application may be expedited.

If additional fees are required for any reason, please charge Deposit Account No. 02-4800 the necessary amount.

Respectfully submitted,

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